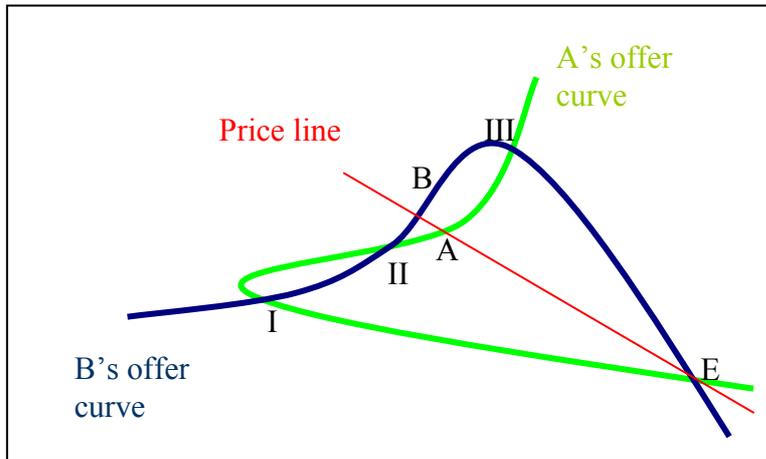


1. G. Yohe „Exercises to Varian textbook”, p.257-262

Consider the following figure. Argue that I and III are stable equilibria, but that II is an unstable equilibrium.

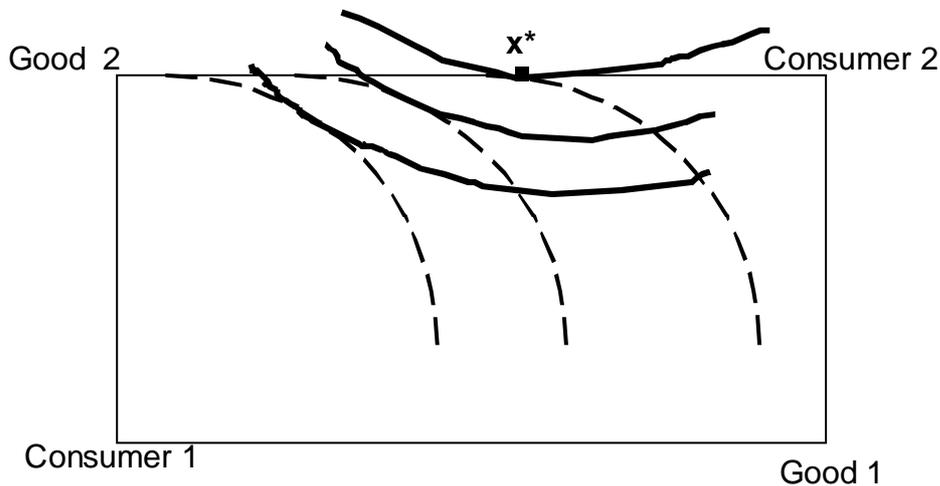
Consumer B



Consumer A

2. H. Varian “Microeconomic Analyses”, p.336, 17.3

Consider another figure. Explain why  $x^*$  is a Pareto efficient allocation. Explain why  $x^*$  is not a competitive equilibrium. Show another example of nonexistence of Walrasian equilibrium



3. H. Varian “Microeconomic Analyses”, p.337, 17.9

Consider an economy with 15 consumers and 2 goods. Consumer 3 has a Cobb-Douglas utility function  $U_3(x_3^1, x_3^2) = \ln x_3^1 + \ln x_3^2$ . At a certain Pareto efficient allocation  $x^*$ , consumer 3 holds (10, 5). What are the competitive prices that support the allocation  $x^*$ ?

4. Mas-Colell, "Microeconomic Theory", p.542, 15.B.10.c

In a two-consumer, two commodity pure exchange economy with continuous, strictly convex and strongly monotone preferences, consider the comparative statistics of the welfare of consumer 1 with changes in the initial endowment  $\omega_1 = (\omega_{11}, \omega_{21})$  and  $\omega_2 = (\omega_{12}, \omega_{22})$ . Suppose that the increase in resources of consumer 1 constitute a small transfer from consumer 2, that is  $\omega_1' = \omega_1 + z$  and  $\omega_2' = \omega_2 - z$  with  $z \geq 0$ . Show that it is possible for the utility of consumer 1 to decrease (this is called the **transfer paradox**).

5. Mas-Colell, "Microeconomic Theory", p.544, 15.D.7

Suppose there are two output goods and two factors. The production function for the two outputs are  $f_1(z_{11}, z_{21}) = 2z_{11}^{1/2} + z_{21}^{1/2}$  and  $f_2(z_{12}, z_{22}) = z_{12}^{1/2} + 2z_{22}^{1/2}$ . The international prices for these goods are  $p = (1, 1)$ . Firms are price takers and maximize profits. The total factor endowments are  $z = (z_1, z_2)$ . Consumers have no taste for the consumption of factors of production. Derive the equilibrium factor allocation  $((z_{11}^*, z_{21}^*), (z_{12}^*, z_{22}^*))$  and the equilibrium factor prices  $(w_1^*, w_2^*)$  as a function of  $(z_1, z_2)$ .